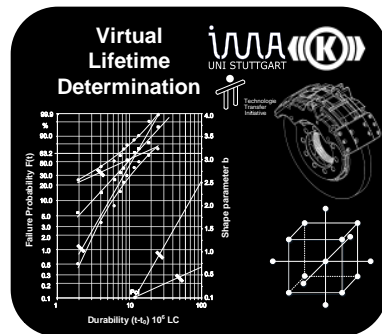



# STOCHASTIC SIMULATION APPROACH FOR REALISTIC LIFETIME FORECAST AND ASSURANCE OF COMMERCIAL VEHICLE BRAKING SYSTEMS




12. Weimar Optimization and Stochastic Days 2015

**M. Sc. Martin Dazer**  
Dipl.-Ing. Stefan Kemmler  
Prof. Dr.-Ing. Bernd Bertsche

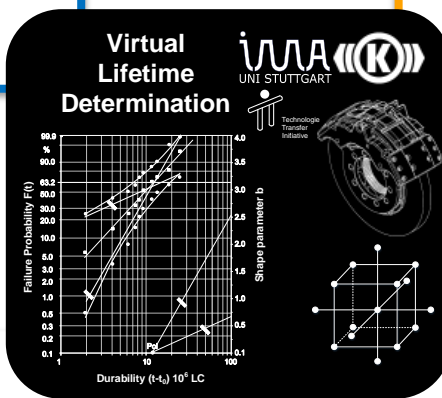
Dr.-Ing. Tobias Leopold  
Dipl.-Ing Jens Fricke

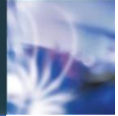
 Institute of Machine Components  
Reliability Engineering

 Knorr-Bremse Group  
Systeme für Nutzfahrzeuge GmbH

 Technology Transfer Initiative

# Research Cooperation





# Agenda

1. Motivation
2. Application example: brake caliper
3. Simulation process
4. Design of Experiments
5. Result evaluation
6. Summary and Outlook

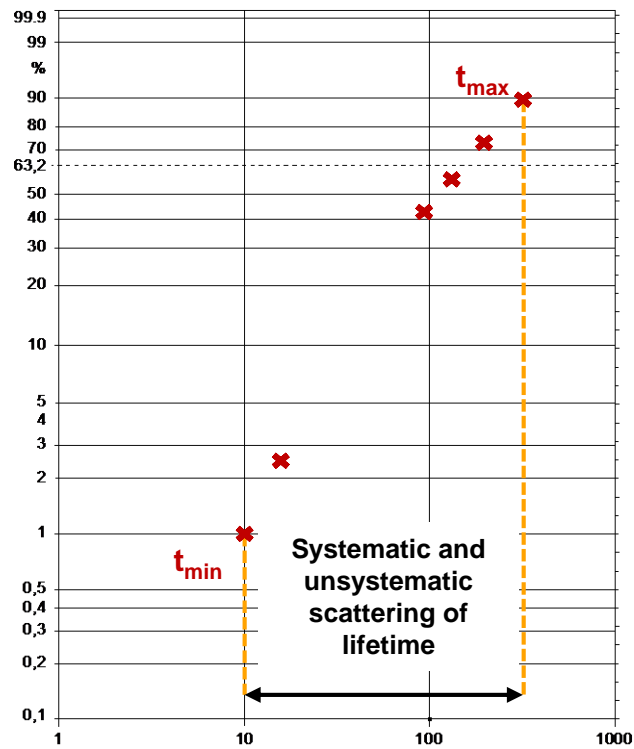


Virtual Lifetime Determination of  
commercial vehicle braking systems

# 1. MOTIVATION

# 1. Motivation

## Real durability tests



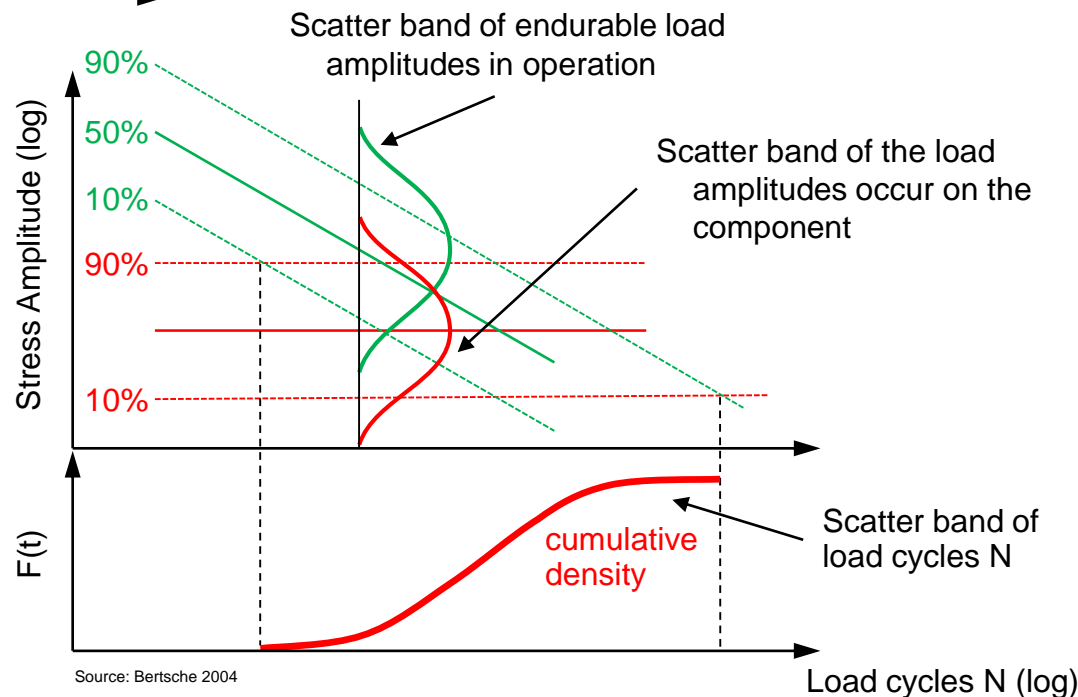
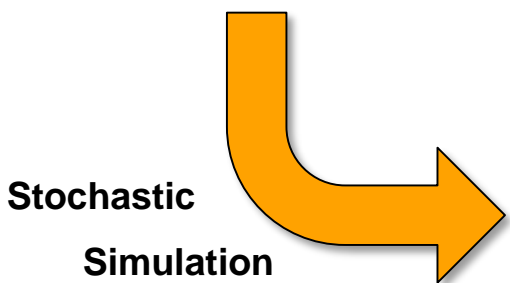
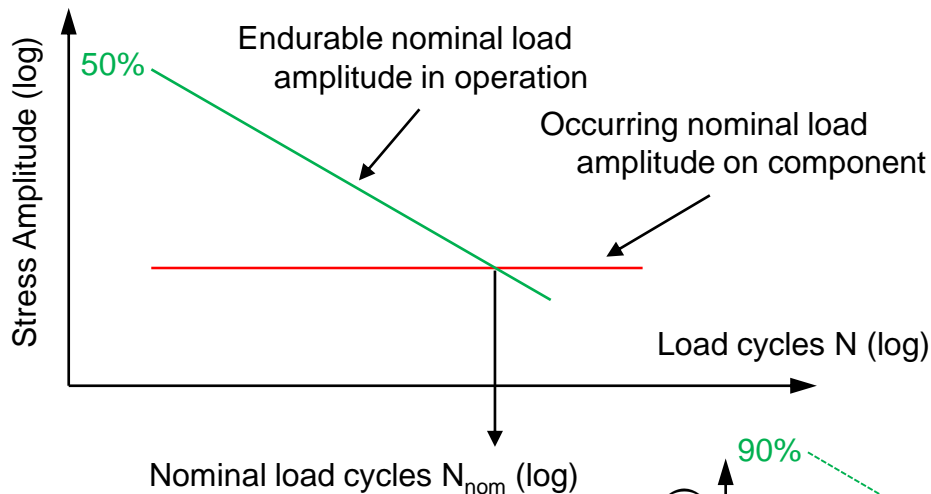
### Identification of specific product properties:

- Failure mechanism
  - Lowest and longest cycle times
  - Failure distribution
- Control of correct target-engineering by requirements

Scattering produces a characteristic lifetime distribution

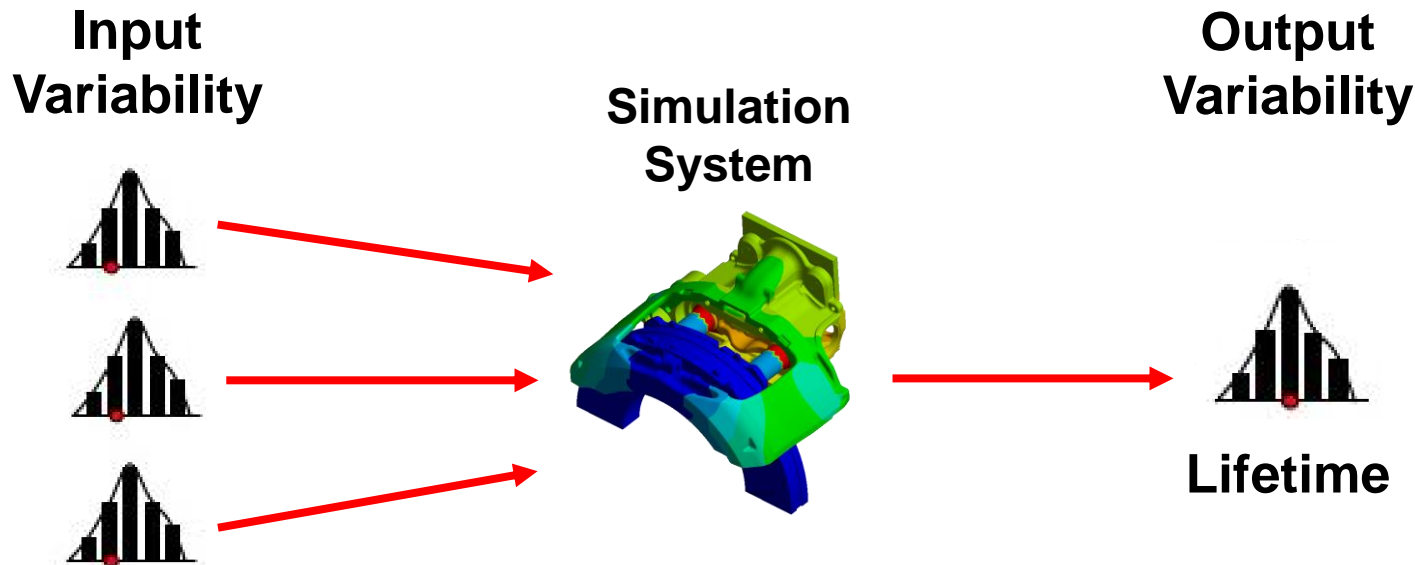
# 1. Motivation

**Motivation:**  
 Realistic lifetime prediction through stochastic simulation of stress and strength



Source: Bertsche 2004

# 1. Motivation



- Parameter variations of the product lead to variations in product properties as a result of internal correlations.
- This can cause functional or structural failure and the deterioration of product quality.

**Aim: Realistic forecast of time to failure**

# 1. Motivation



## Parametric CAD-Model

- Mapping the caliper geometry
- Changes in the geometry

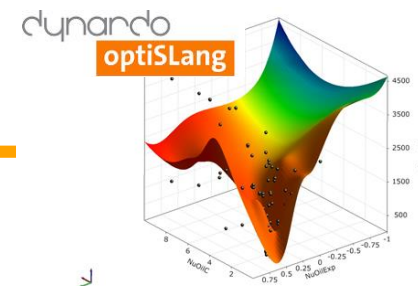
## FEA-Simulation model

- Mapping of damage-related effects
  - Stress amplitudes
  - Strain amplitudes



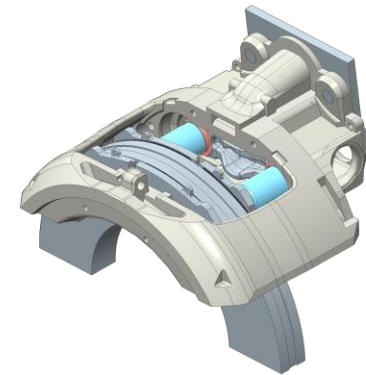
## Parameter study

- Automatic simulation of the established DOE
- Statistical evaluation



Source: Dynardo 2015

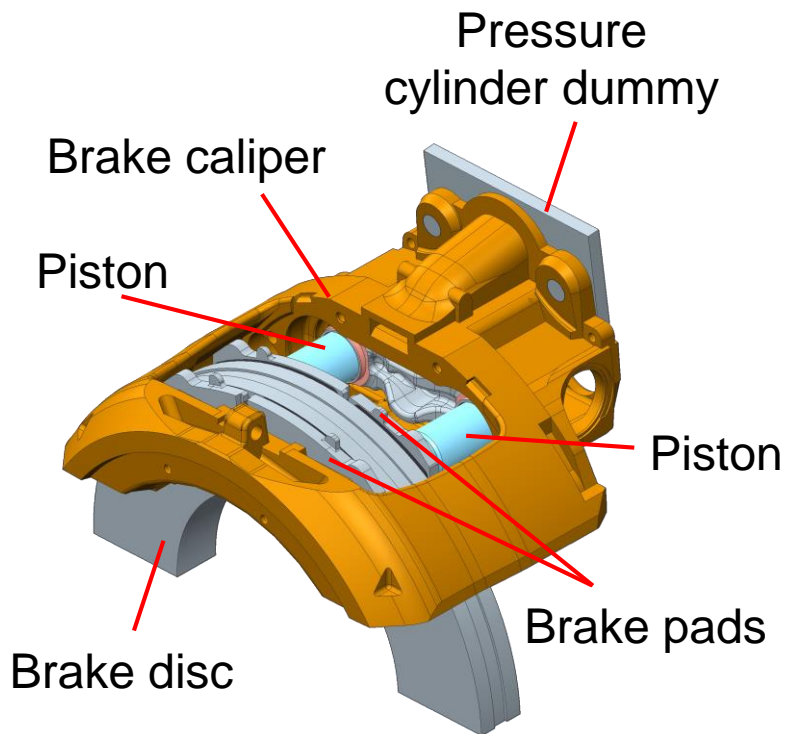




Virtual Lifetime Determination of  
commercial vehicle braking systems

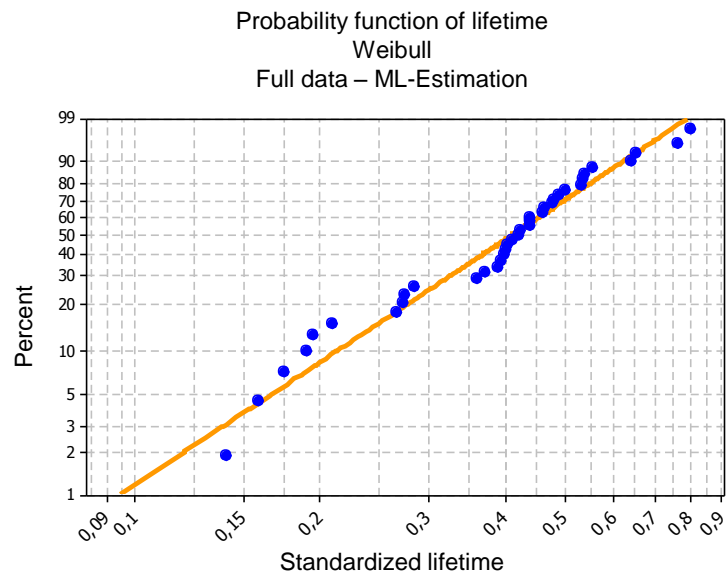
## 2. APPLICATION EXAMPLE BRAKE CALIPER

## 2. Application example Brake caliper



Application example:  
 Brake caliper

- Have to withstand high loads in case of overload
- Therefore tested with high loads
- Failures in Low-Cycle-Fatigue range (LCF)

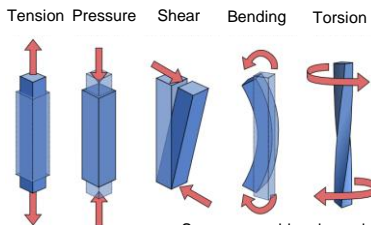




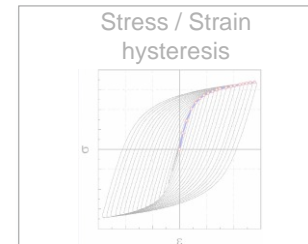
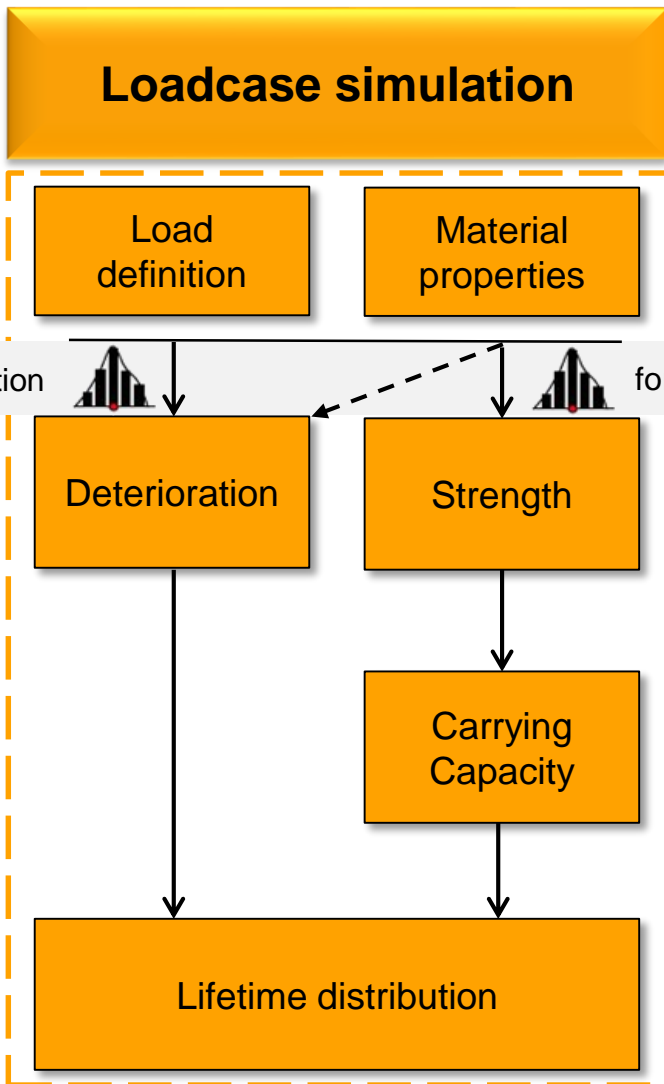
Virtual Lifetime Determination of  
commercial vehicle braking systems

## 3. SIMULATION PROCESS

# 3. Simulation process

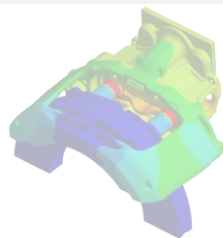


Definition of claim and the associated amplitudes  
 Source: maschinenbau-wissen 2015



Characterization of the relevant material properties  
 Source: Haibach 2005

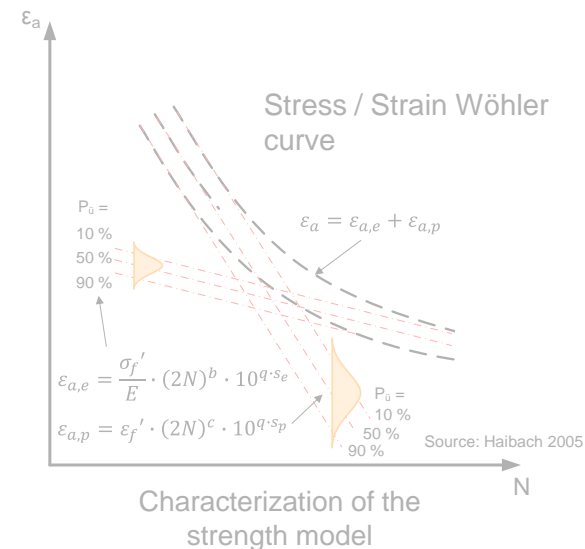
The level of deterioration related stress and strain amplitudes



Identification and consideration of non-homogeneous loading states



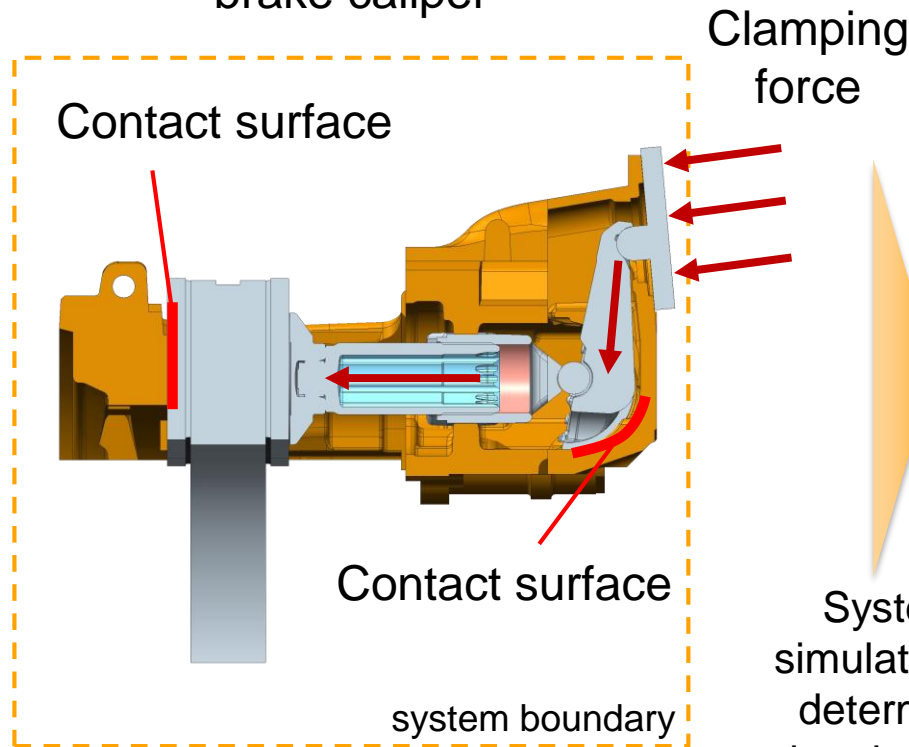
Source: SOFEA 2015



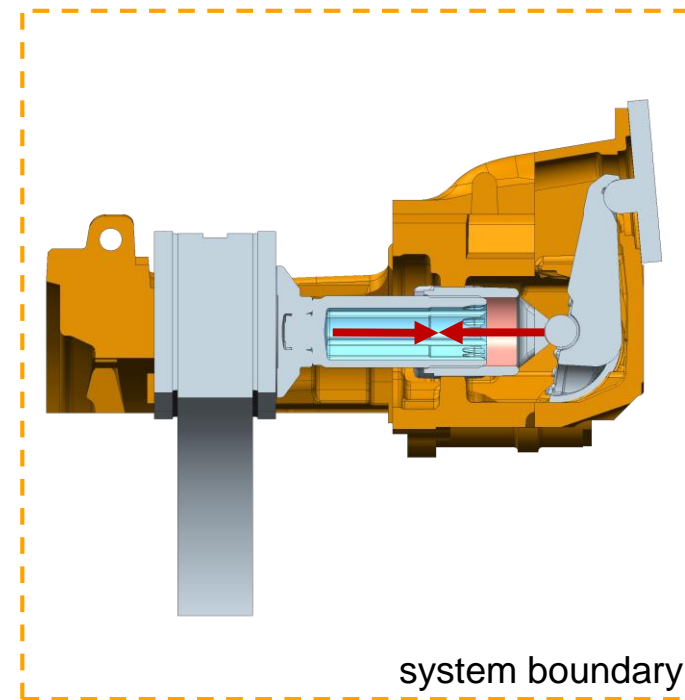
Characterization of the strength model  
 Source: Haibach 2005

# 3. Simulation process – load definition

Real force flow in the brake caliper



Simulated force flow in the brake caliper



System simulation to determine deterioration

Clamping force causes high FE-calculation time

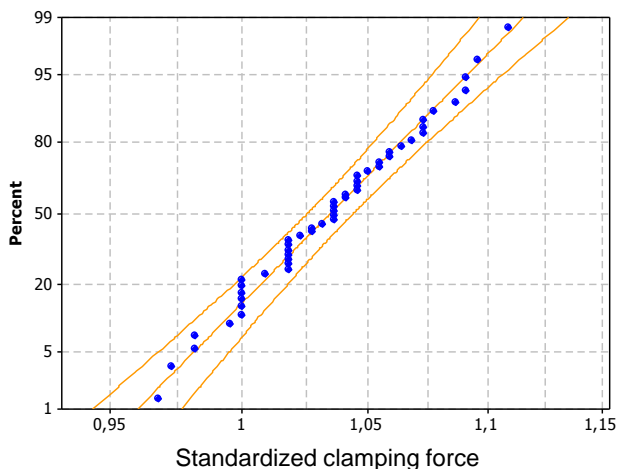
Bolt pretension for lower FE-calculation time

Same damage state

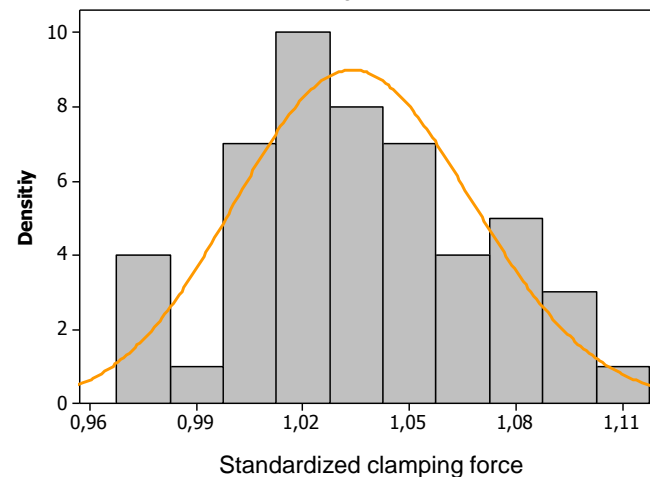
# 3. Simulation process – load definition

- There are variations in the clamping force occurring through hysteresis effects
- Load spectrum is determined from test reports
- Best-Fit: Lognormal distribution

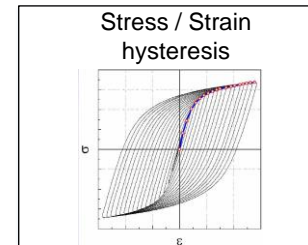
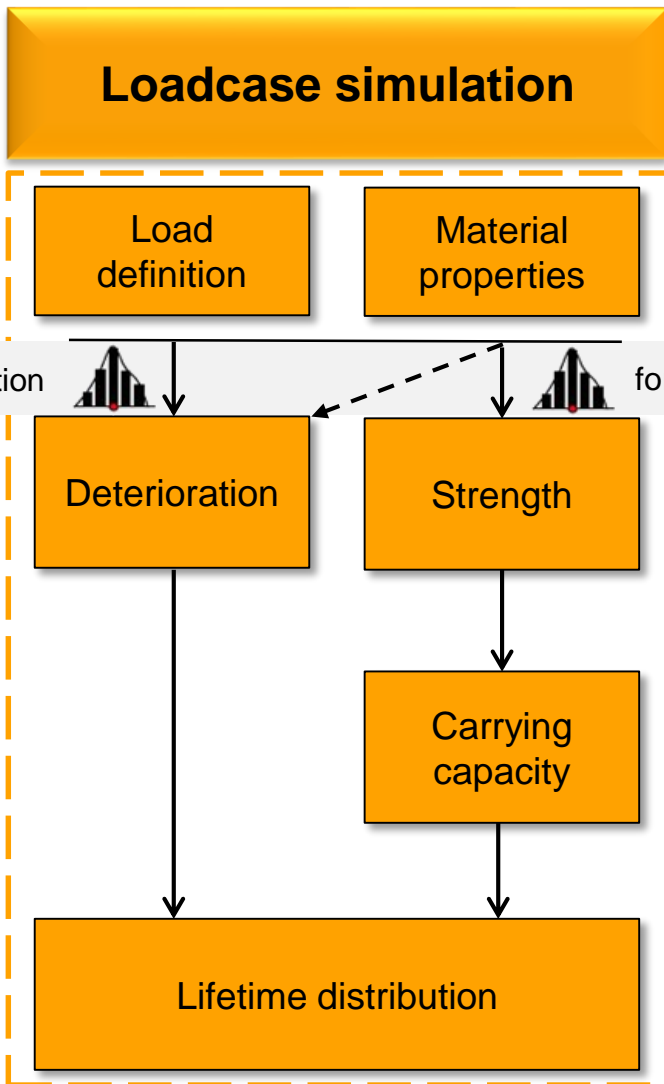
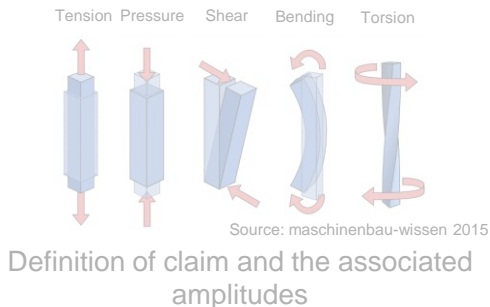
Probability function of clamping force  
 Lognormal – 95 % KI



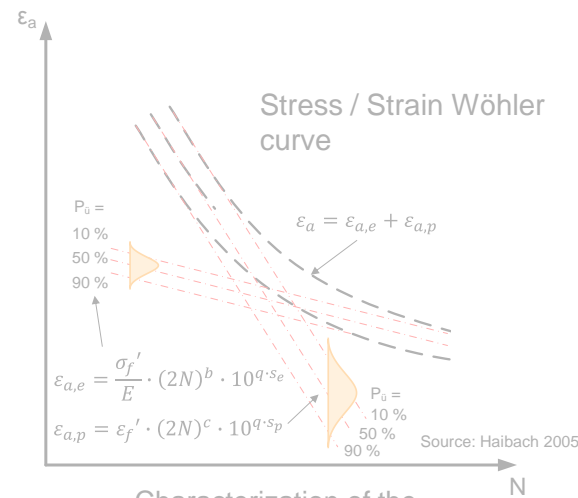
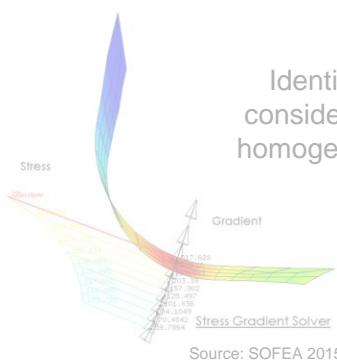
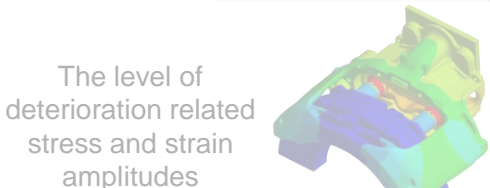
Distribution of clamping force  
 Lognormal



# 3. Simulation process



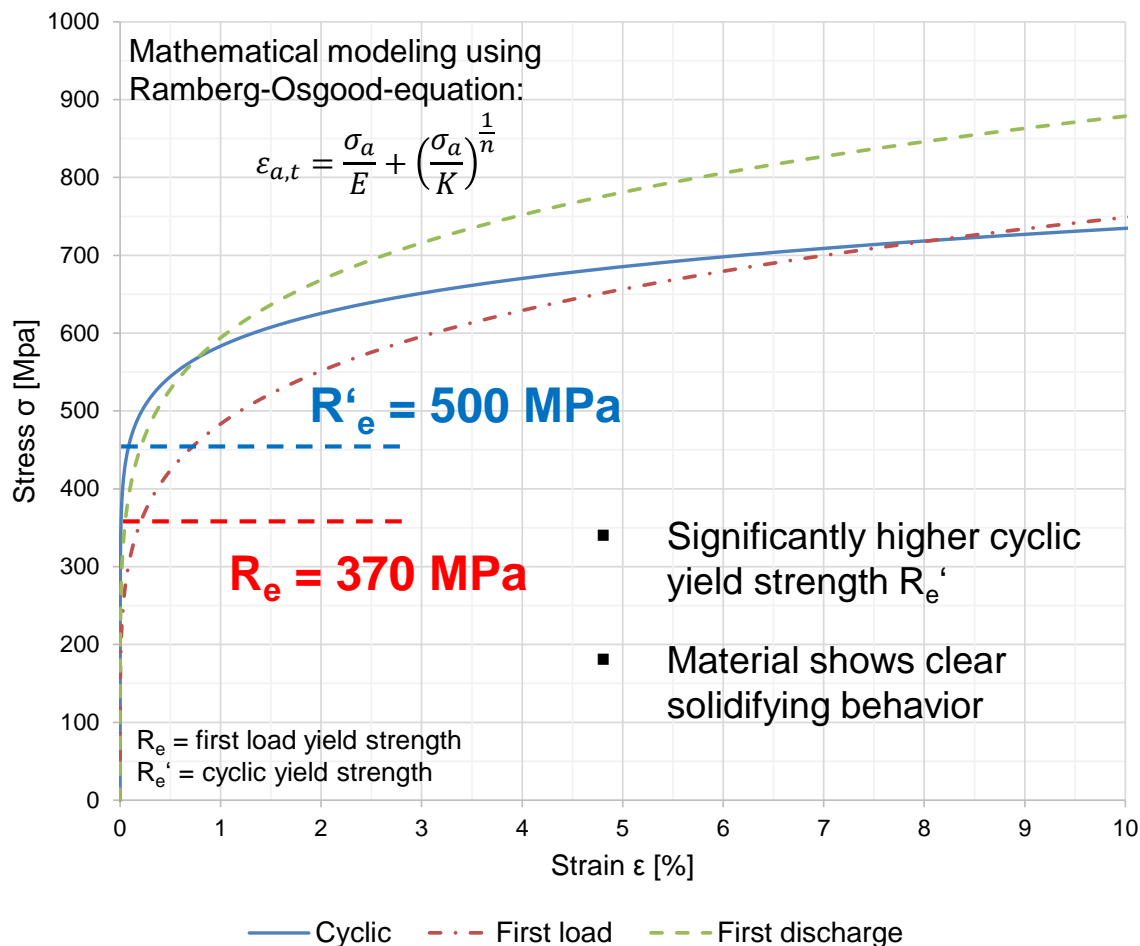
Characterization of the relevant material properties



Characterization of the strength model

# 3. Simulation process – material properties

Material behavior GJS-600-6



General Ramberg-Osgood-equation:

$$\varepsilon_{a,t} = \frac{\sigma_a}{E} + \left(\frac{\sigma_a}{K}\right)^{\frac{1}{n}}$$

Modelling the first load curve:

$$K = 1160$$

$$n = 0,19$$

Modelling the first discharge curve:

$$K'' = 1300$$

$$n'' = 0,17$$

Modelling the cyclic curve:

$$K' = 924,9$$

$$n' = 0,1$$

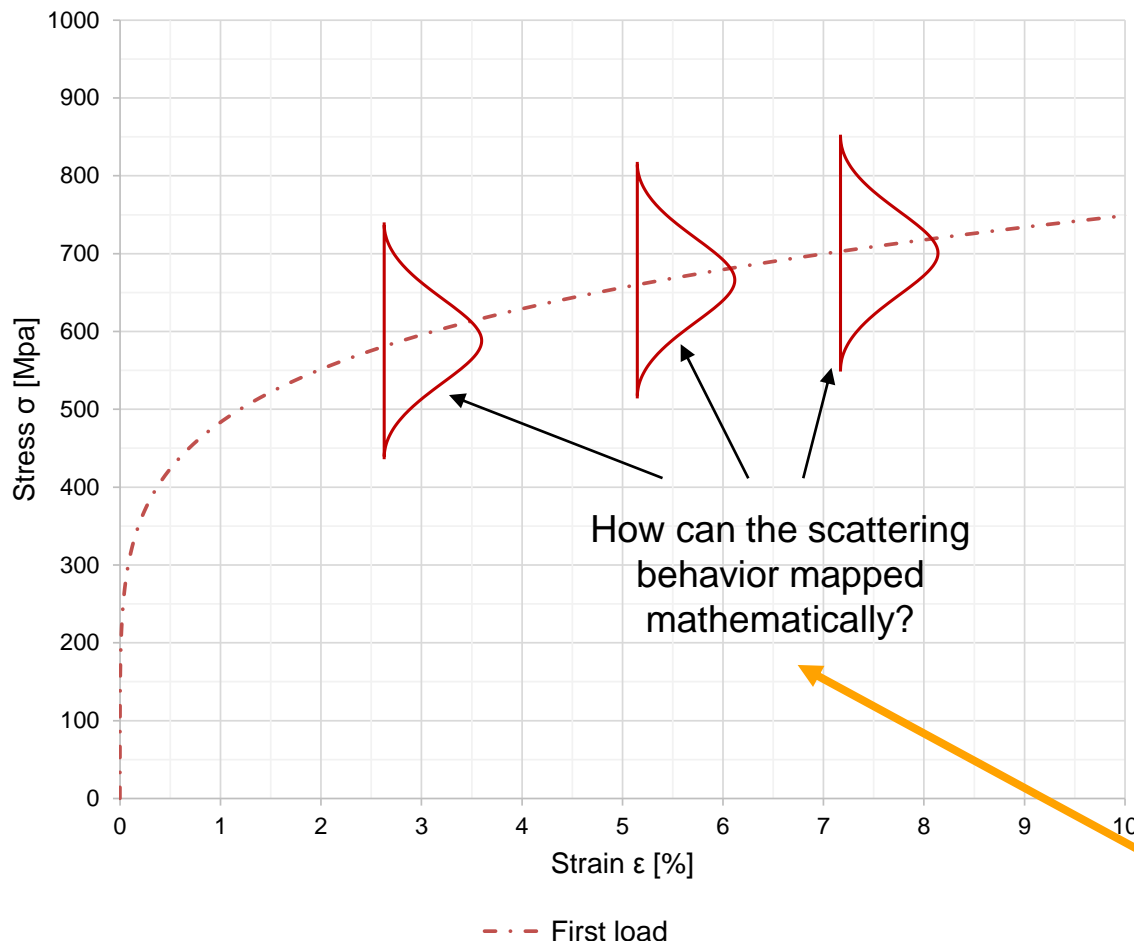


Nominal material behavior



# 3. Simulation process – material properties

Material behavior GJS-600-6



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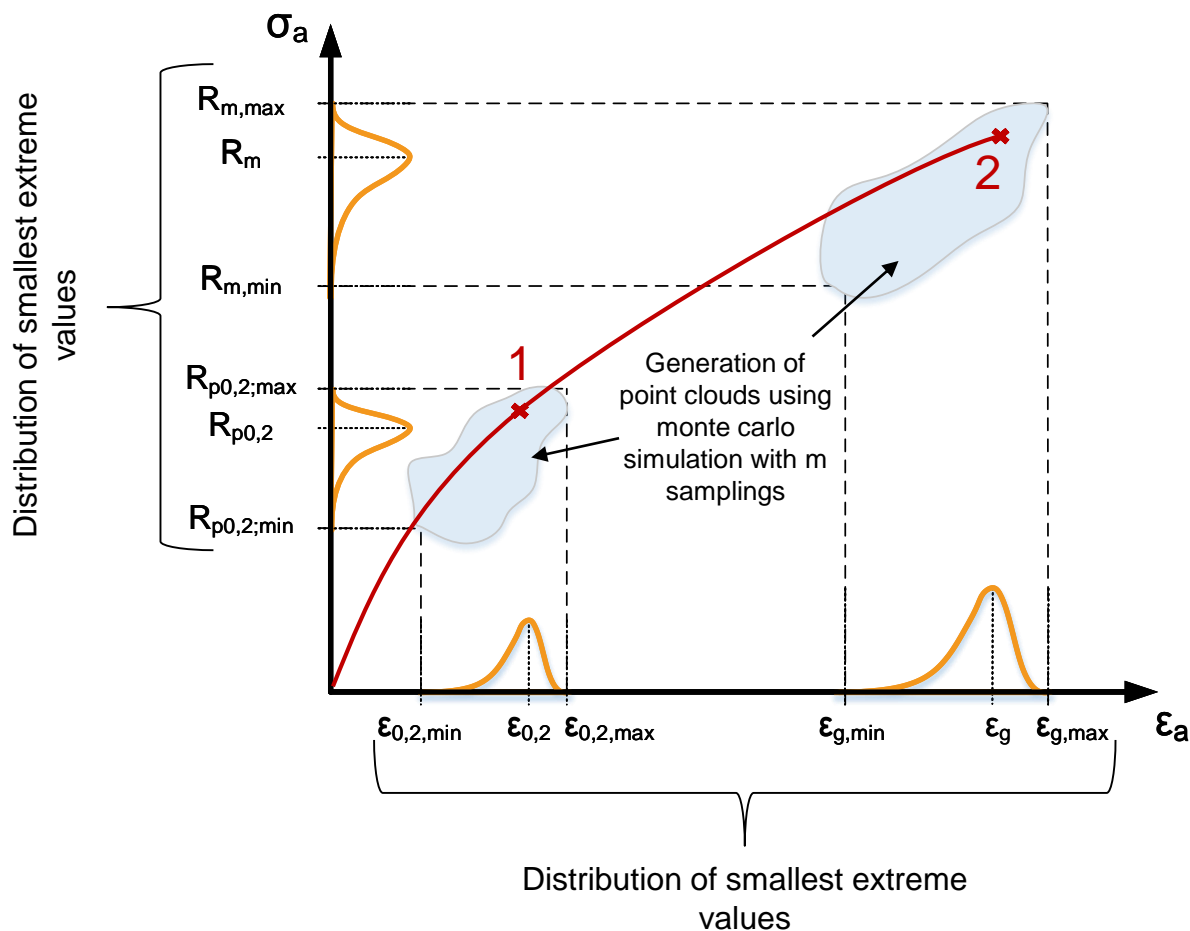
$$K' = 924,9$$

$$n' = 0,1$$

Nominal material behavior

# 3. Simulation process – material properties

- Only data from the static tensile test available
  - Mathematical derivation of the scattering of  $n$  and  $k$



- Determination of the limits and the distribution of  $n$ , and  $k$ :
- Using **two interpolation points** solving Ramberg Osgood iteratively for  $n$  and  $k$

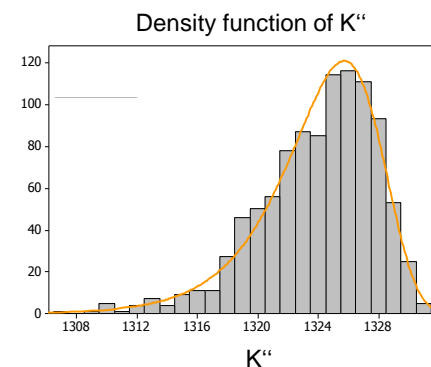
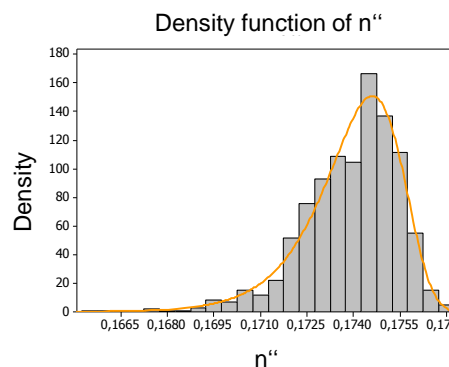
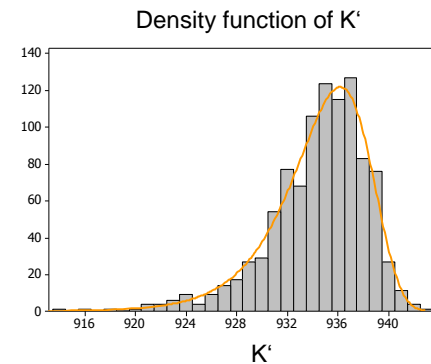
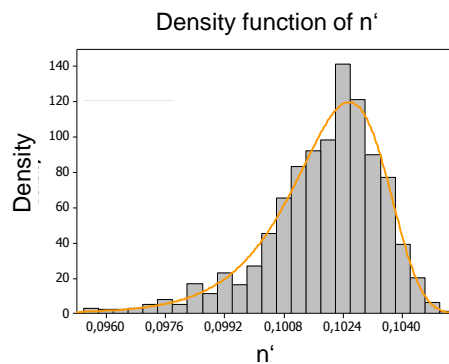
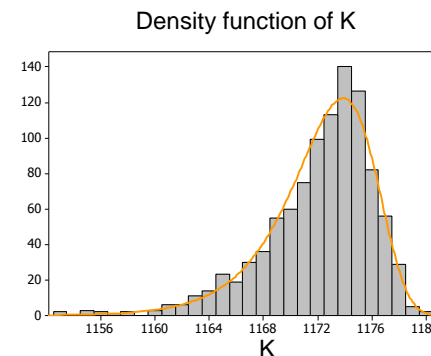
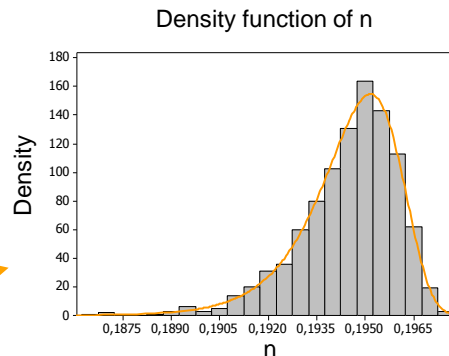
Loop to  $j, i = m$

$$\epsilon_{0,2i} = \frac{R_{p0,2i}}{E} + \left( \frac{R_{p0,2i}}{K} \right)^{\frac{1}{n}}$$

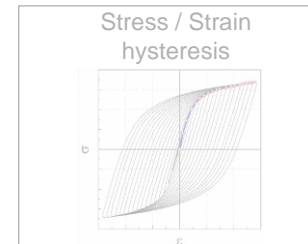
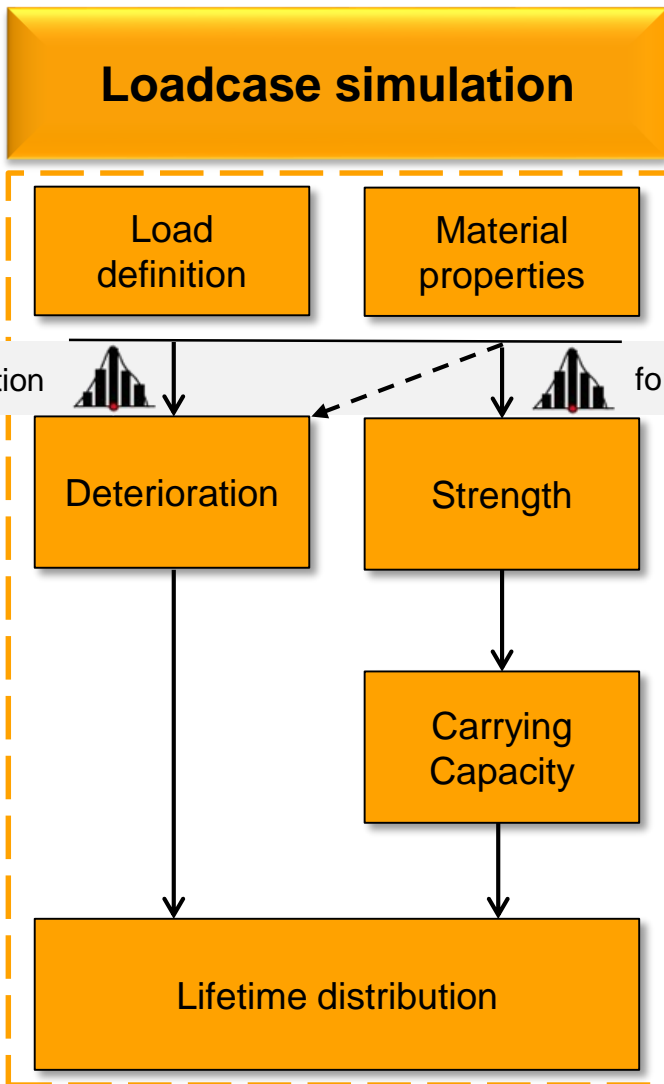
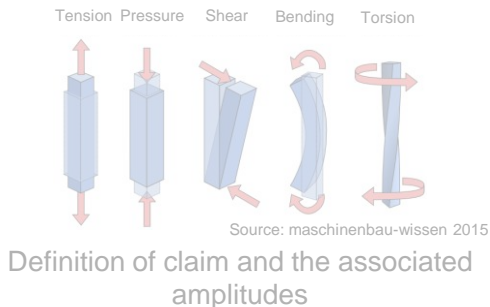
$$\epsilon_{gj} = \frac{R_{mj}}{E} + \left( \frac{R_{mj}}{K} \right)^{\frac{1}{n}}$$

# 3. Simulation process – material properties

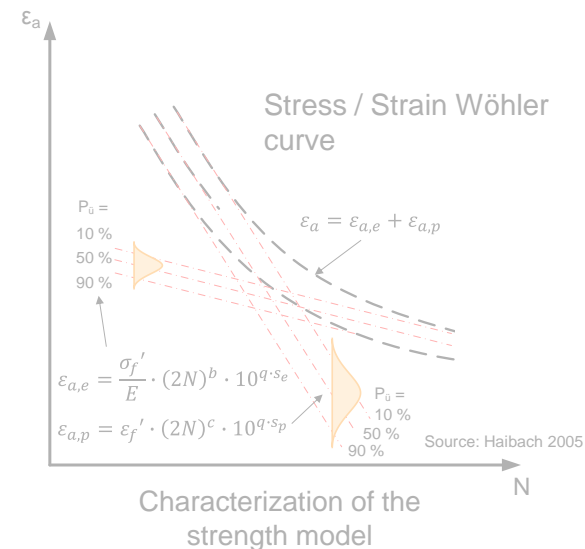
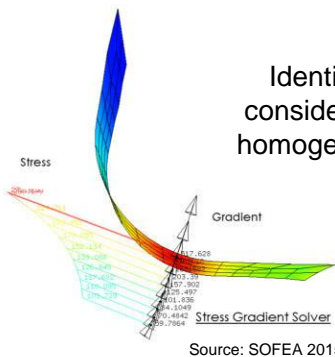
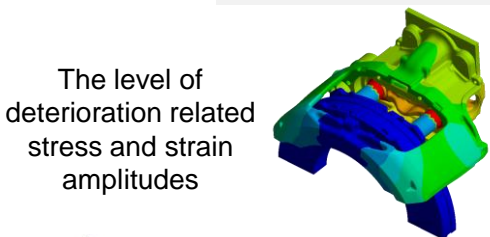
- Determination of the variance of  $K$  and  $n$  using 1000 Monte Carlo Samplings
- Best fit for initial loading  $K$  and  $n$  with Weibull distribution
- Proportionate transfer of variance at  $K'$ ,  $K''$ ,  $n'$  and  $n''$



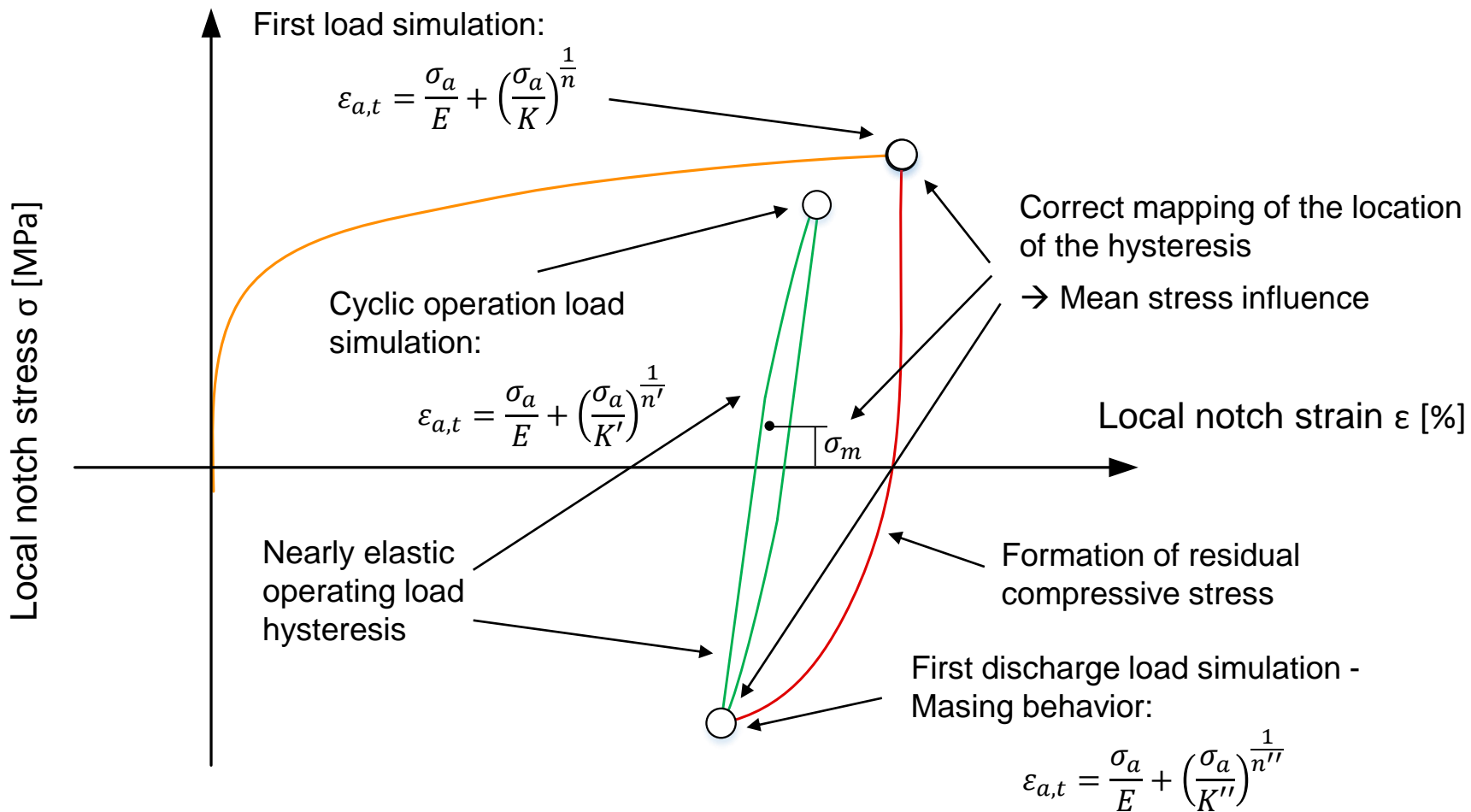
# 3. Simulation process



Characterization of the relevant material properties

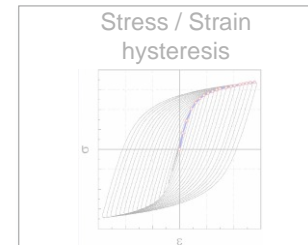
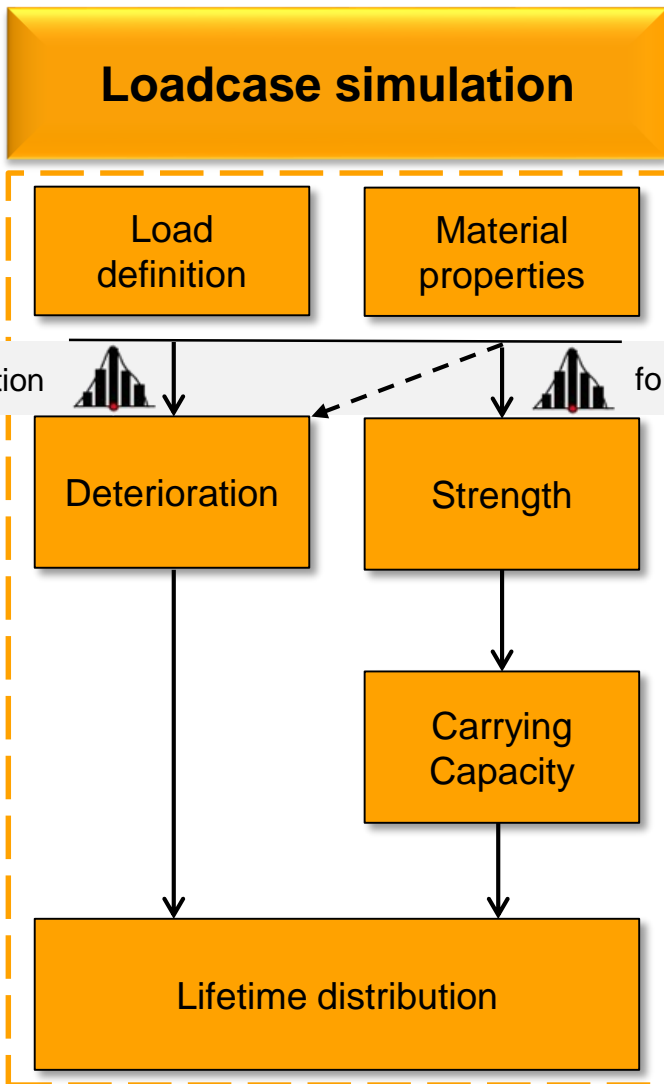
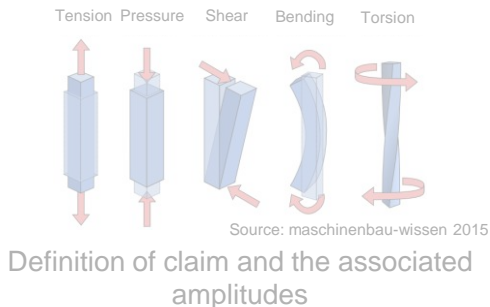


# 3. Simulation process – deterioration



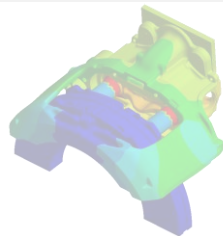
**Accelerated Representative Simulation Process (ARSP)**  
 for deterioration calculation at constant load

# 3. Simulation process

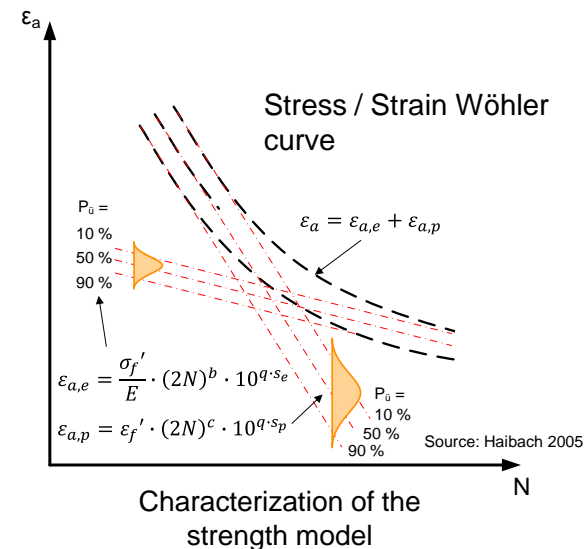


Characterization of the relevant material properties

The level of deterioration related stress and strain amplitudes



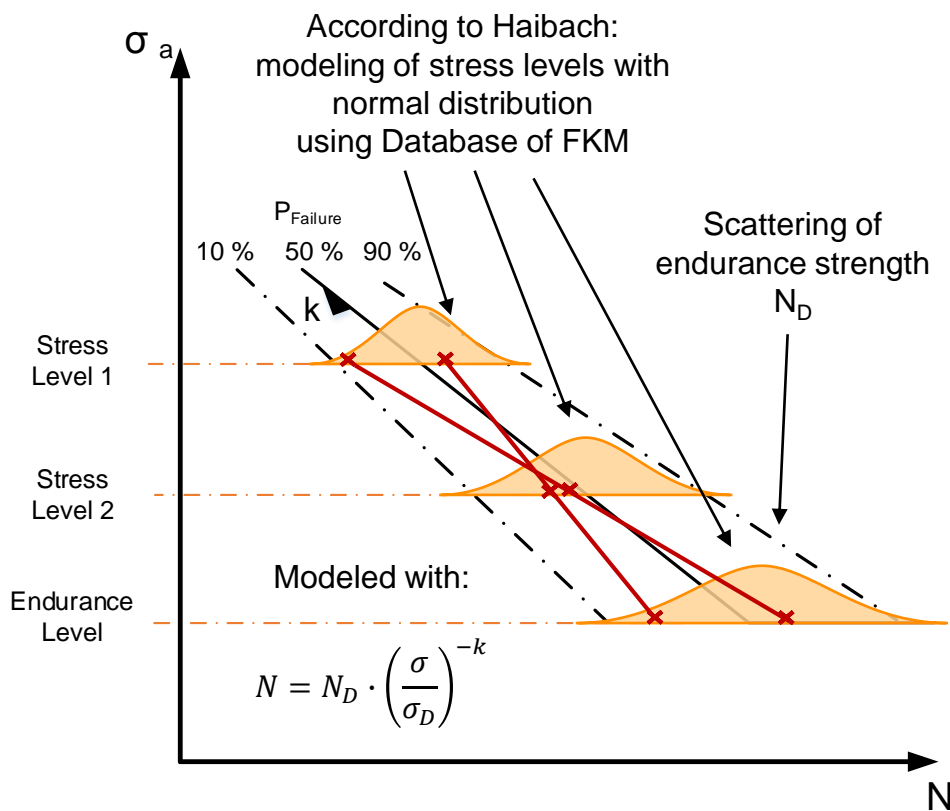
Identification and consideration of non-homogeneous loading states



Characterization of the strength model

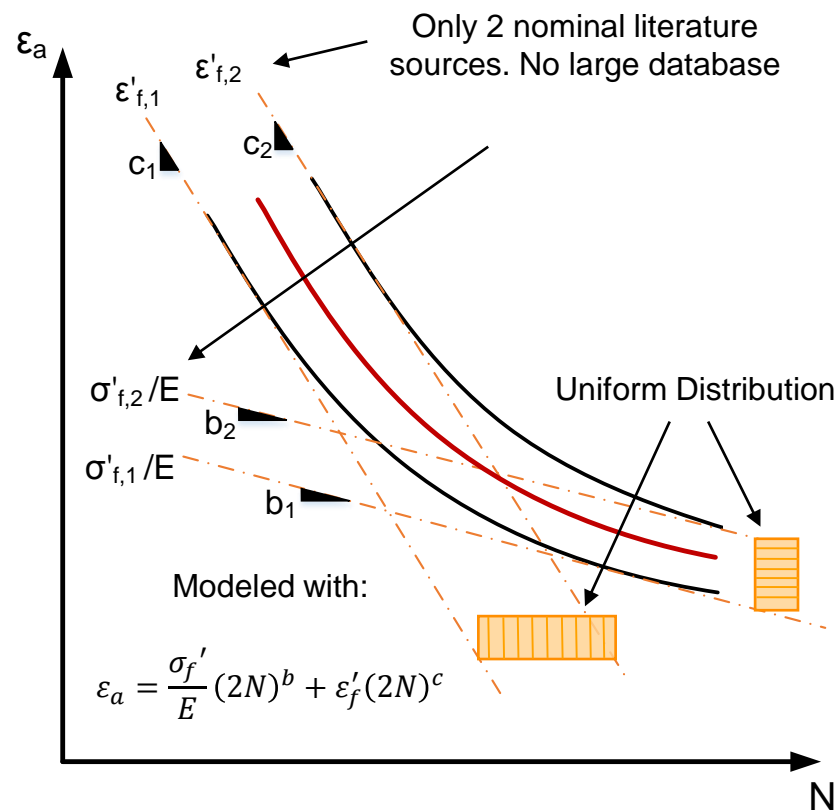
# 3. Simulation process – strength

## Stress Wöhler curve



Determination of scattering of  $k$ :  
 Monte Carlo Simulation using **3**  
 interpolation points

## Strain Wöhler curve

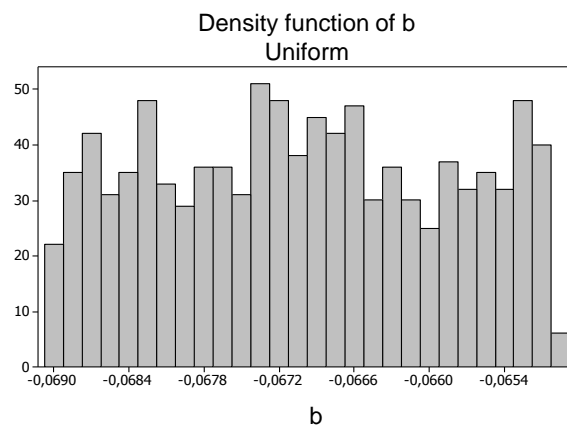
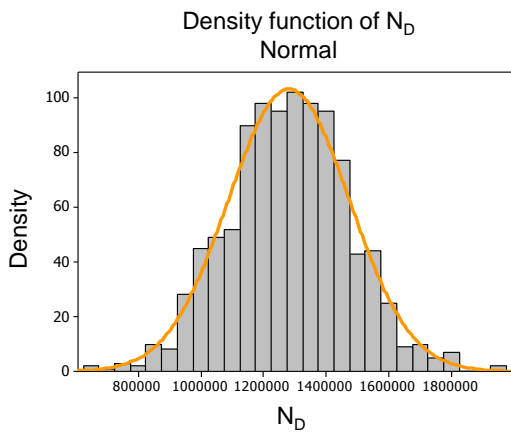
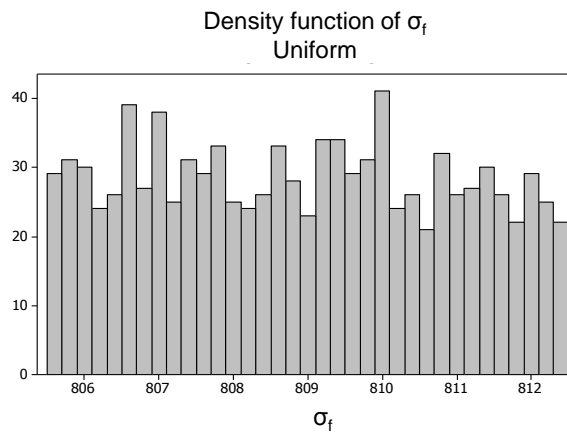
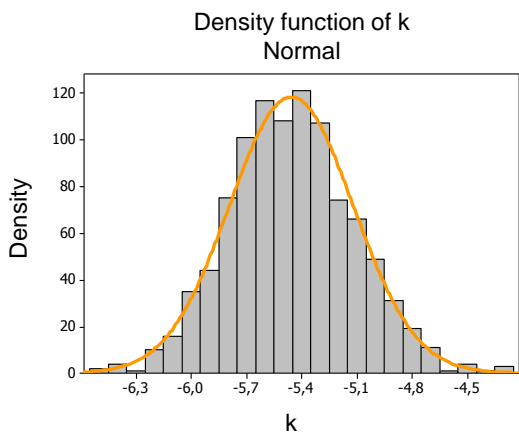


Determination of scattering of  $\sigma'_f$ ,  $\epsilon'_f$ ,  
 $b$  and  $c$ : Using uniform distribution  
 between  $\sigma'_{f1}$  and  $\epsilon'_{f1}$

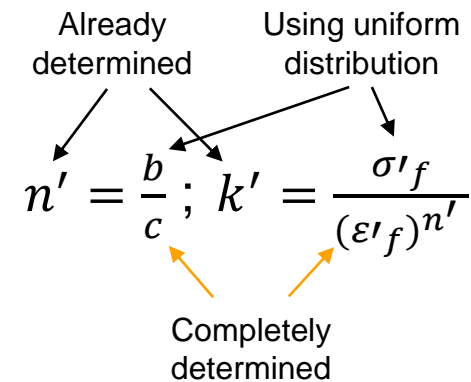
# 3. Simulation process – strength

Result for variance of  $k$  and  $N_D$  of Stress Wöhler curve

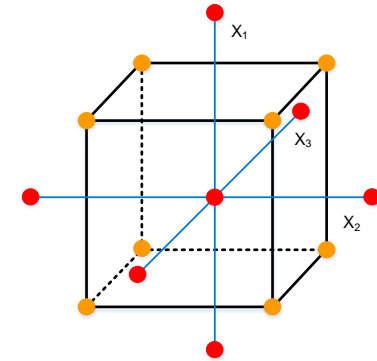
Result for variance of  $\sigma'_f$ ,  $\varepsilon'_f$ ,  $b$  and  $c$  of Strain Wöhler curve



Compatibility condition according to Haibach:





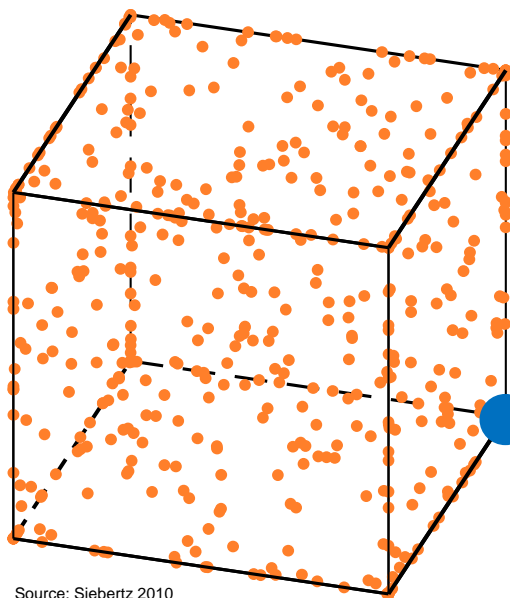


Virtual Lifetime Determination of  
 commercial vehicle braking systems

# 4. DESIGN OF EXPERIMENTS

# 4. Design of Experiments

Spacefilling  
latinhypercube sampling



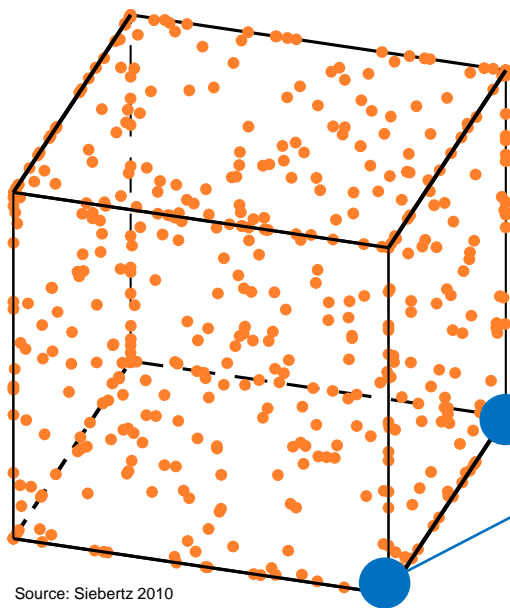
Source: Siebertz 2010

Optimal cover of the  
parameter space

- **Design Parameter**  
 Using  $3\sigma$  Normal Distribution
  
- **Material Model**  
 Using Distribution of smallest extreme values
  
- **Strength Model**  
 Stress: Using Normal Distribution  
 Strain: Using Uniform Distribution
  
- **Load Spectra**  
 Using Lognormal Distribution and **ARSP**

# 4. Design of Experiments

Spacefilling  
 latinhypercube sampling

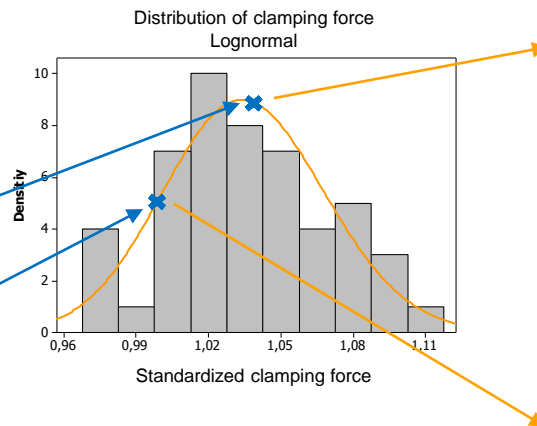


Source: Siebertz 2010

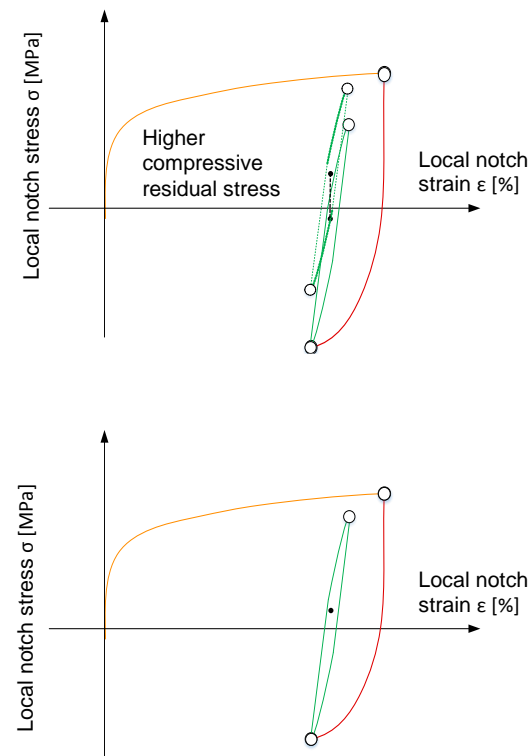
Optimal cover of the  
 parameter space

Load Spectra

Using Lognormal Distribution and **ARSP**



Integration of the load  
 spectrum through  
 parametric study

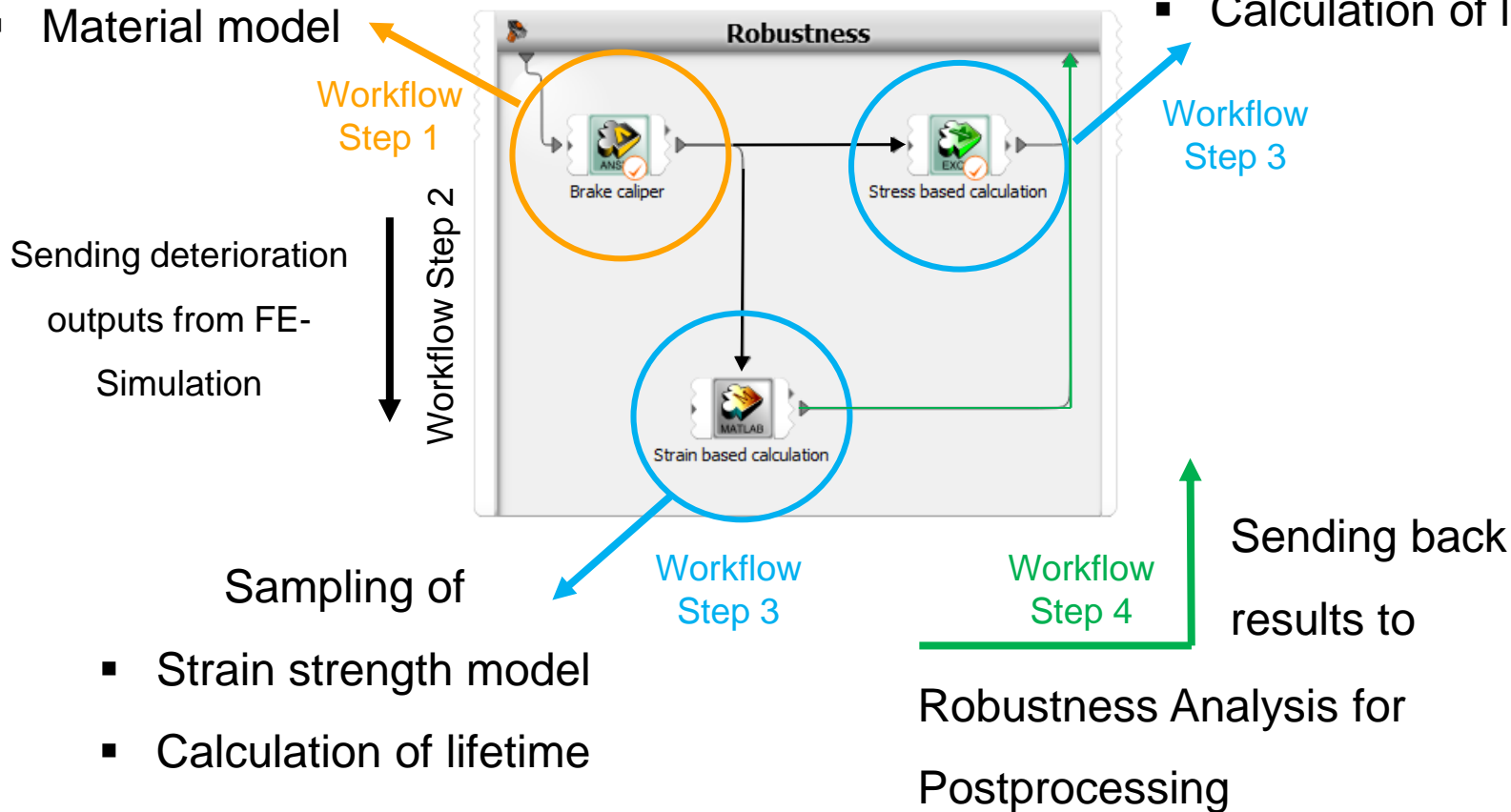


# 4. Design of Experiments

- Sampling of
- Design Parameter
  - Material model

Sending deterioration outputs  
 from FE-Simulation  
 Workflow Step 2

- Sampling of
- Stress strength model
  - Calculation of lifetime





Virtual Lifetime Determination of  
commercial vehicle braking systems

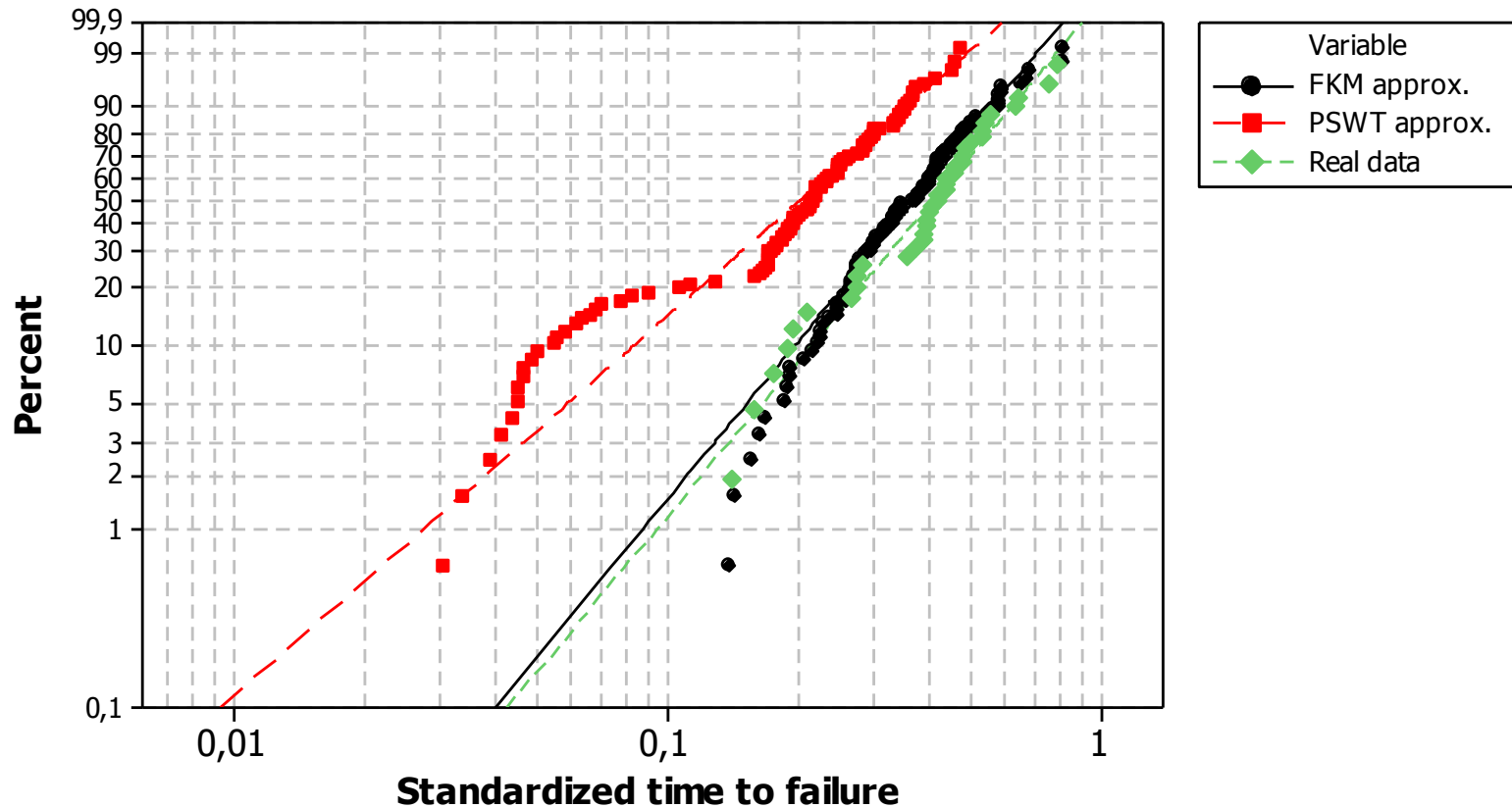
## 5. RESULT EVALUATION

# 5. Result Evaluation

**Probability plot of FKM; PSWT; Real data**

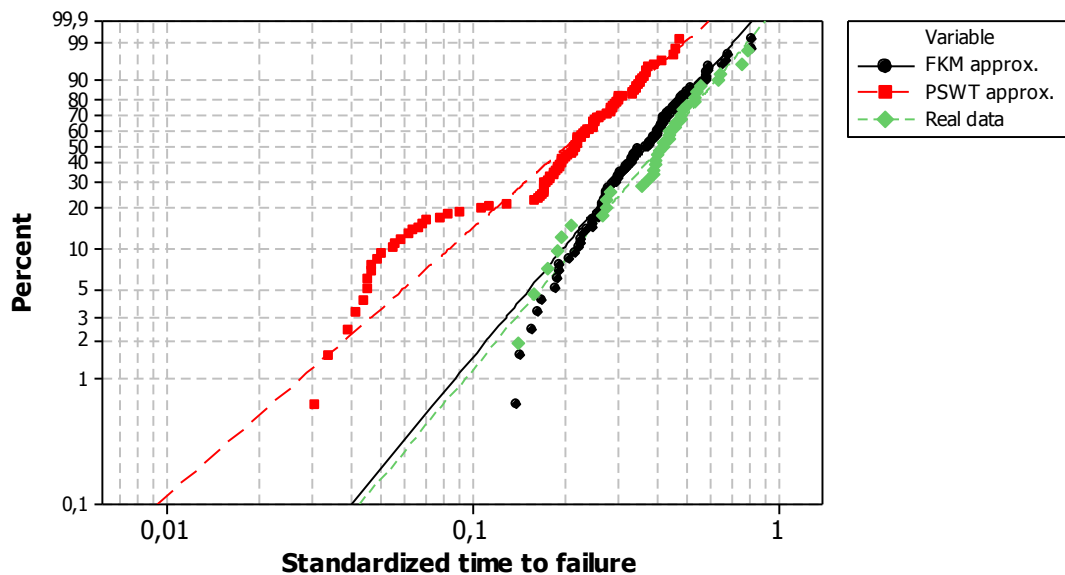
Weibull

Full data - ML-Estimation



# 5. Result Evaluation

**Probability plot of FKM; PSWT; Real data**  
 Weibull  
 Full data - ML-Estimation



- Pronounced Differences to conservative side for PSWT → Additionally insufficient fit
- FKM approximation slightly overestimates the real life time



- Very good approximation using stress based FKM algorithm
- Nearley same Weibull shape parameter  $b$
- Small deviation in characteristic life time  $T$
- Larger deviation on upper levels using strain based PSWT

Reason for this behavior:

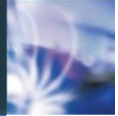
**Increasing plastic component of strain amplitude**



Virtual Lifetime Determination of  
commercial vehicle braking systems

## 6. SUMMARY AND OUTLOOK





## 6. Summary and Outlook

- Mapping of systematic uncertainties of
  - Design Parameter
  - Material model
  - Strength model
  - Load
- Development of a Accelerated Representative Simulation Process
- Successful development of a virtual lifetime distribution
  - Check of reproducibility
  - Future investigations to the influence of plastic components in strain amplitudes for deterioration calculation
  - Investigations to the strain based strength model



Increase of maturity level in early design stages!



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[martin.dazer@knorr-bremse.com](mailto:martin.dazer@knorr-bremse.com)

# THANK YOU FOR YOUR ATTENTION!