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Sensitivity analysis of forming process parameters regarding the shape accuracy of single and assembled parts

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Outline



1. Motivation

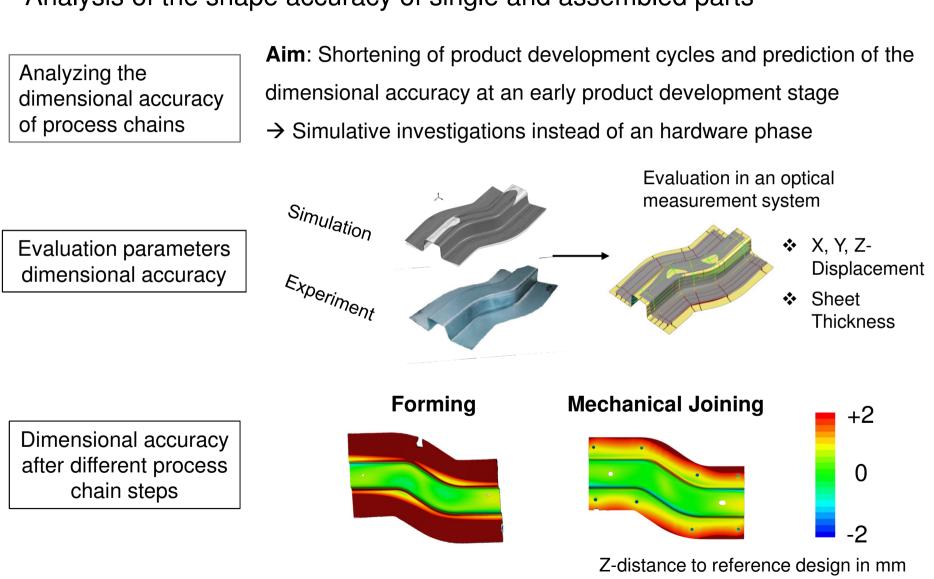
2. S-rail forming and joining process chain – sensitivity analysis and optimization

3. Results of the analysis of forming process parameters – sensitivity and RDO

4. Optimization of framing station parameters

5. Enhancement of the optimization possibilities using SOS

6. Summary and Outlook



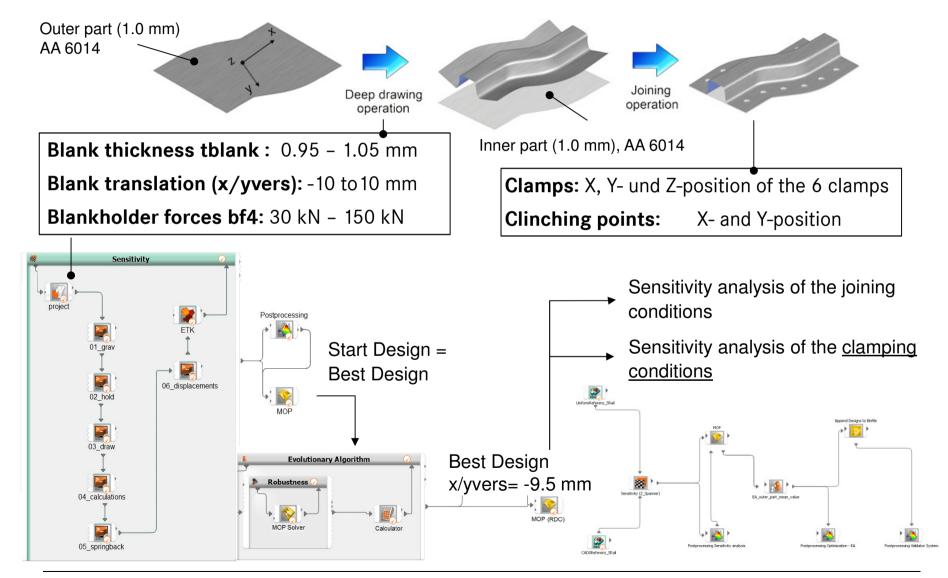
1. Motivation Analysis of the shape accuracy of single and assembled parts

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2. S-rail forming and joining process chain Analysis of the sensitivity of forming (and joining) parameters

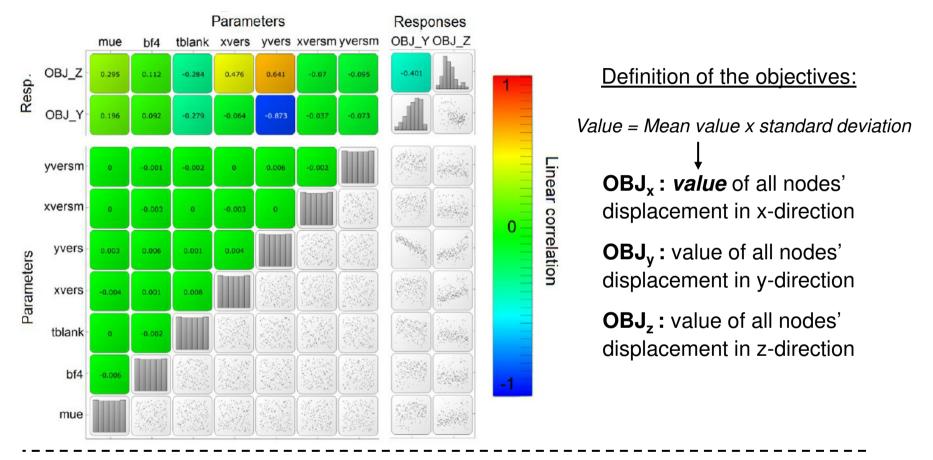


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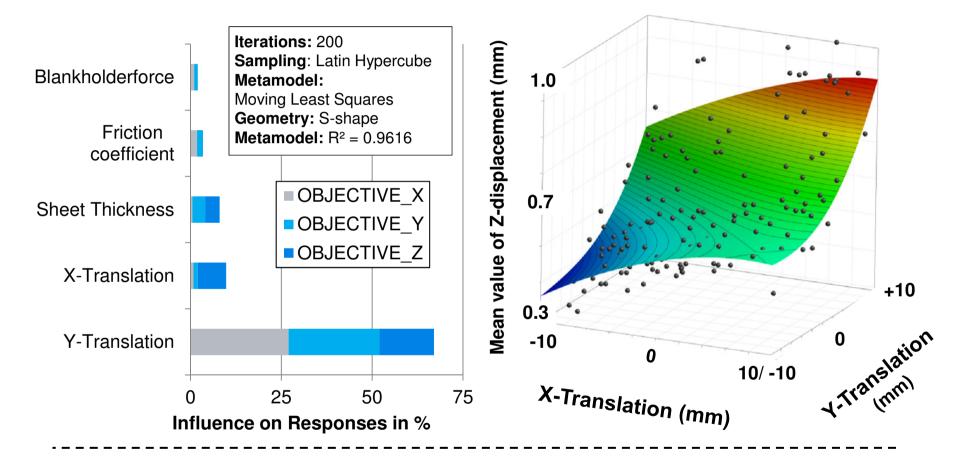
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3. Results of the analysis of forming parameters OptisLang results - Linear correlation matrix



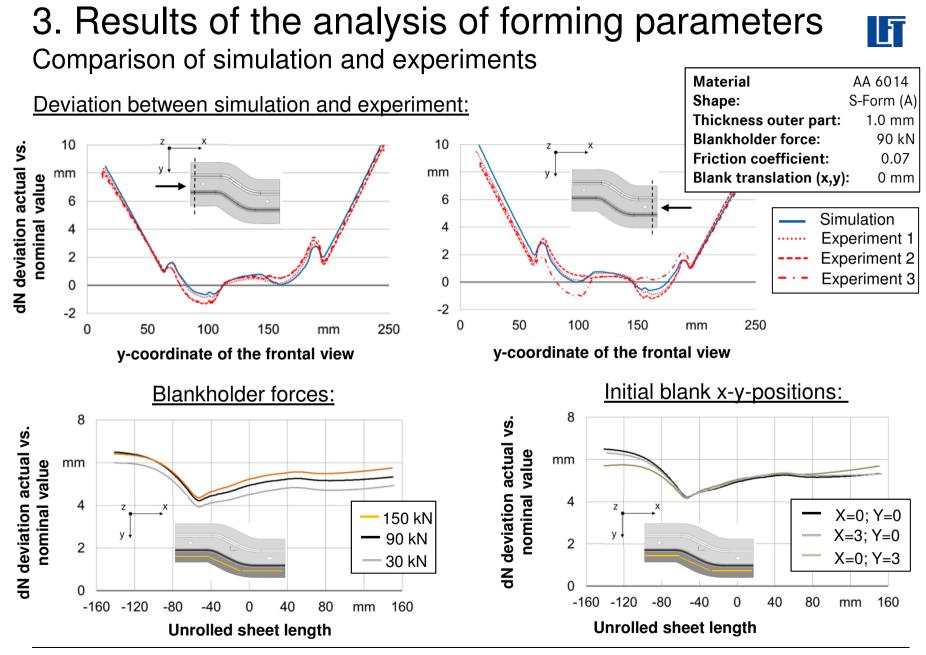
- The influence of y-translation has a comparatively higher influence on the OBJ_Y (-0,873) compared to its influence on the OBJ_Z (0,641)
- > Blankholder force (bf4) and the friction coefficient (μ left out for the **Robust Design Optimization**)

3. Results of the analysis of forming parameters OptisLang results– Global Sensitivities and metamodel



> Y-Translation in reference to its initial plate position with highest influence on x-, y- and z-displacement

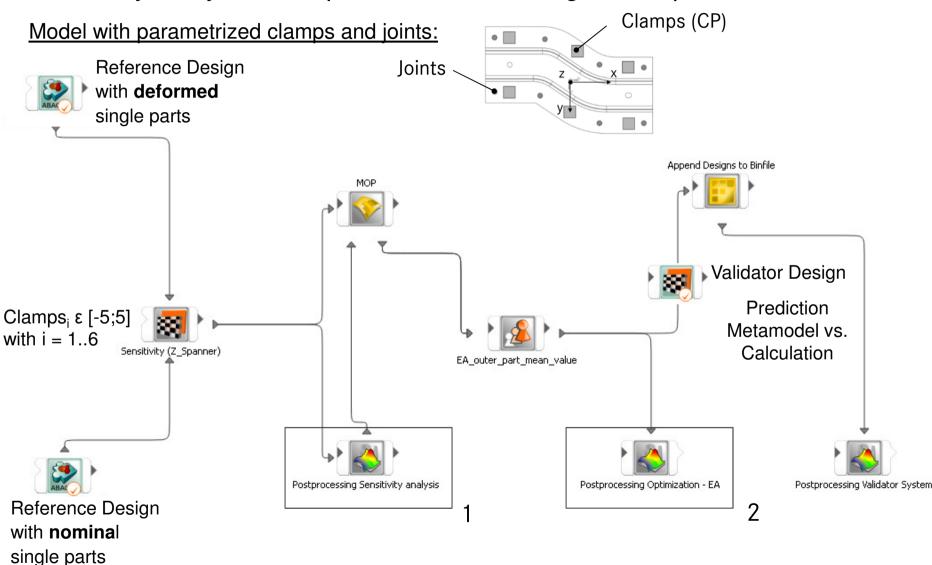
> 89 % of the parameter influence on the nodal displacements dedicated by three control / noise variables



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4. Optimization of framing station parameters Sensitivity analysis and optimization of framing station parameters



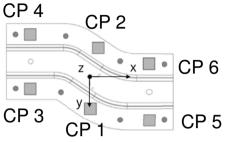
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4. Optimization of framing station parameters

Sensitivity results of z-positions of the clamps

Varied parameter space:

Six z-positions of the clamps (# CP = clamping sequence)



	CP 1	CP 2	CP 3	CP 4	CP 5	5 CP 6	Outer part	Inner part	
Assembly	0.05	0.13	-0.06	-0.34	0.39	-0.1	0.92	0.73	
Outer part	0.02	-0.12	0.29	-0.03	0.11	-0.14	0.41		A.A.A.A.A.A.A.A.A.A.A.A.A.A.A.A.A.A.A.
Inner part	0.05	0.25	-0.24	-0.44	0.46	-0.06			
CP 6	-0.04	-0.02	-0.04	0.09	0.02		al the fact where		
CP 5	0.04	-0.01	-0.05	-0.07			an a		adolt
CP 4	0.09	-0.06	-0.09				Stand of the		Alathan
CP 3	0.04	-0							Staget with
CP 2	0.01								
CP 1									-

Linear correlation matrix:

Metamodel - CoP:

	CP1	CP2	CP3	CP4	CP5	CP6	Total
Outer part	7.6	9.0	37.5	36.5	21.4	34.4	84.6
Inner part	0	4.5	28.6	21.6	26.8	32.3	82.9

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4. Optimization of framing station parameters Optimization objectives and results

Objectives (according to the Euclidian Norm:)

Objective scalar value
$$\mathbf{a} = \min \frac{1}{\dim(\mathbb{R}^n)} \sqrt{\left\{ \begin{pmatrix} node \ 1_z \\ node \ 2_z \\ node \ i_z \end{pmatrix} + \begin{pmatrix} u \ 1_z \\ u \ 2_z \\ u \ i_z \end{pmatrix} - \begin{pmatrix} node \ 1 \overset{*}{z} \\ node \ 2 \overset{*}{z} \\ node \ i \overset{*}{z} \end{pmatrix} \right\}^2}$$

Annotations:

node 1_z: z-Coordinate joining deformed meshes

u 1_z : z-displacement of the node

node 1^{*}_z: z-Coordinate joining nominal meshes

Optimization strategies:

- > Evolutionary algorithm for minimizing *a* for the **whole** outer part (OP) ("OP all")
- > Evolutionary algorithm for minimizing *a* for the **right and left flanges** of the outer part ("OP right-left")

Reference Z-value Notation [mm] CP1 0 CP2 0 CP3 0 CP4 0 CP5 0 CP6 0

Optimization results

- → EA "Outer part all"
- CP1 CP2 CP3 CP4 CP5 CP6 -1.4 -1.5 -4.5 -5.0 1.6 1.9
- EA -"Outer part right-left"

-0.7 -4.1 1.7 -0.9 1.1 -4.1	CP1	CP2	CP3	CP4	CP5	CP6
	-0.7	-4.1	1.7	-0.9	1.1	-4.1



5. Enhancement of the optimization possibilities using SoS – Random Field Model

Approximation of a **random design** with

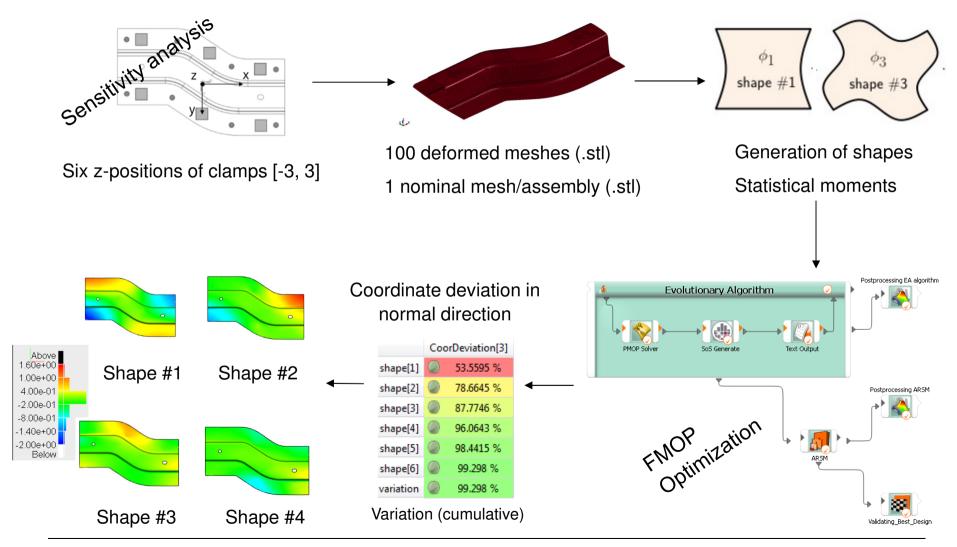
- mean value + standard deviation of the nodes' displacement (x, y, z and normal direction)
- linear combination of deterministic "scatter shapes" multiplied with random coefficients ("amplitudes")

$$\begin{array}{|c|c|} \hline perturbed \\ geometry \end{array} \approx \begin{array}{|c|} \mu \\ mean value \end{array} + \begin{array}{|c|} \phi_1 \\ shape \ \#1 \end{array} (\cdot z_1 + \begin{array}{|c|} \phi_2 \\ shape \ \#2 \end{array} (\cdot z_2 + \begin{array}{|c|} \phi_3 \\ shape \ \#3 \end{array} (\cdot z_3 + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|c|} \phi_4 \\ shape \ \#4 \end{array} (\cdot z_4 + \dots + \begin{array}{|}$$

Accurately resembles

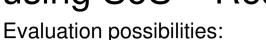
- Statistical moments (mean, standard deviation...)
- Spatial correlations (anisotropic, inhomogeneous...)

Use in optimization: Representation of field variations as found in DoE; Combination with MOP to approximate field variations based on input parameters



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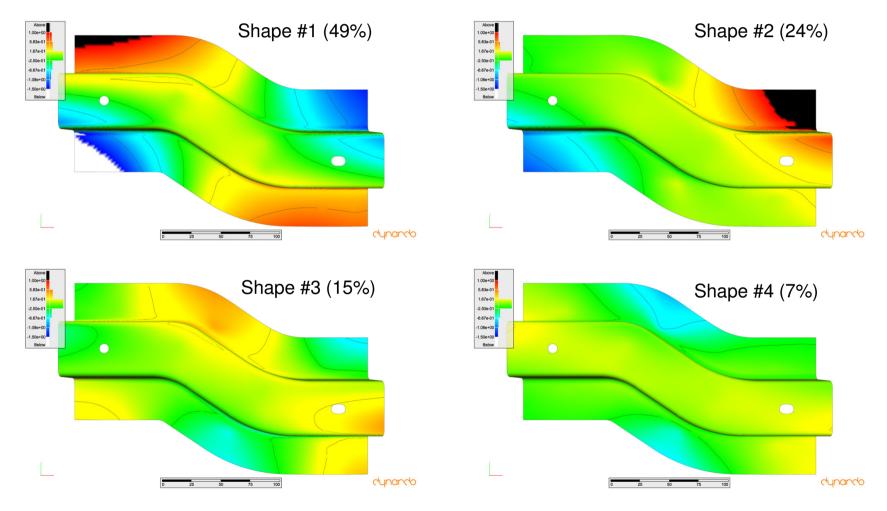


[Check plausibility of random field model]

- 1) Accuracy of CAE process (a priori) Analyze how well the CAE process can resemble the target solution
- Accuracy of F-MOP (a priori) Show F-CoP for whole model Show and rank F-CoP (sensitivity) of individual input parameters onto different mesh locations
- Accuracy of F-MOP solution (a posteriori) For coordinate deviation, compare prediction of F-MOP with true solution at best design

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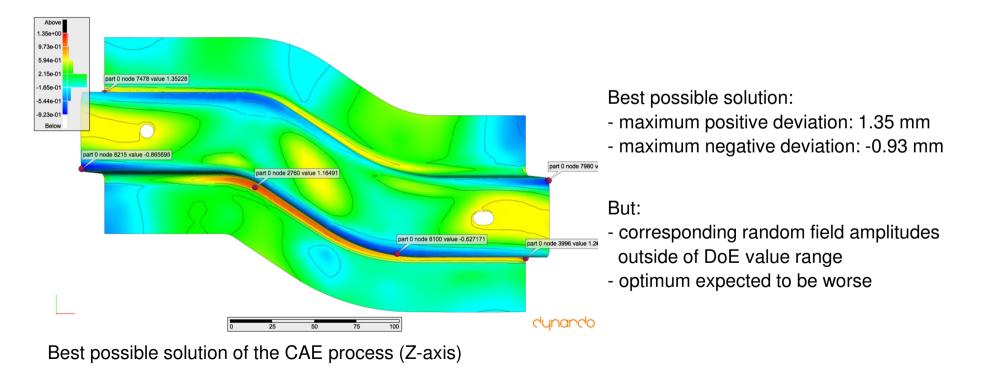
0) Plausibility test of random field model: Check scatter shapes



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- 1) Accuracy of CAE process (a priori)
- Analyze how well the CAE process can resemble the target solution
- Strategy: Analyze the variation shapes found in the DoE and check how well they can represent a zero deviation from the CAD0 geometry

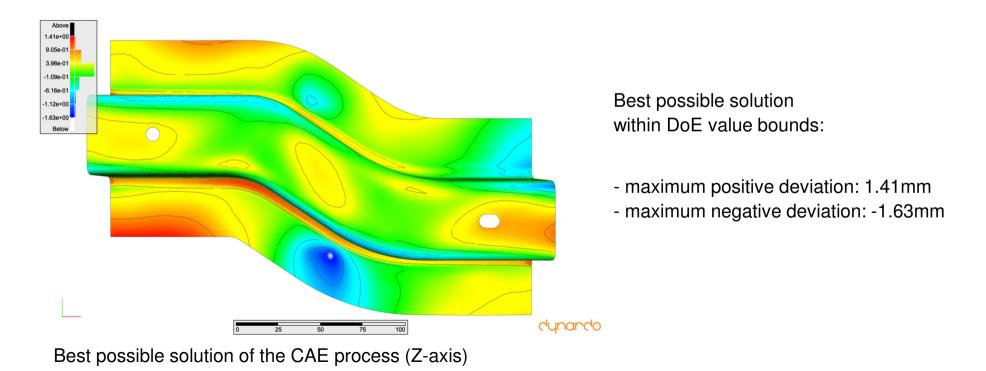




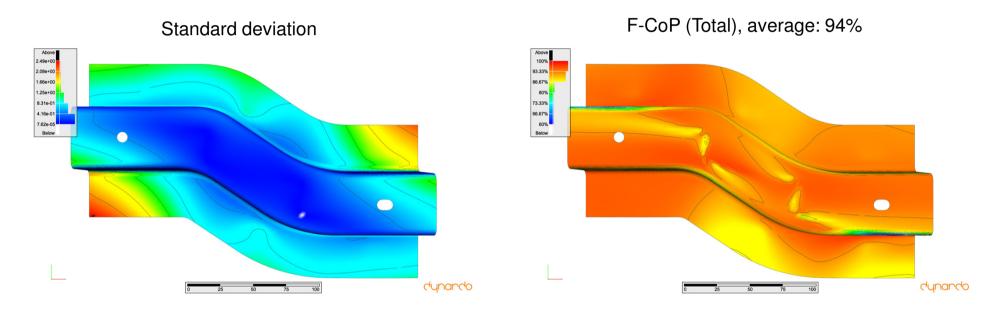
1) Accuracy of CAE process (a priori)

Correct amplitude values of zero design to amplitude bounds in DoE

This roughly approximates how well the CAE process can reproduce the target solution within the value bounds of the DoE



2) Accuracy of F-MOP (a priori)



F-CoP should be 90-100% at positions of interest, in particular in regions with large variation

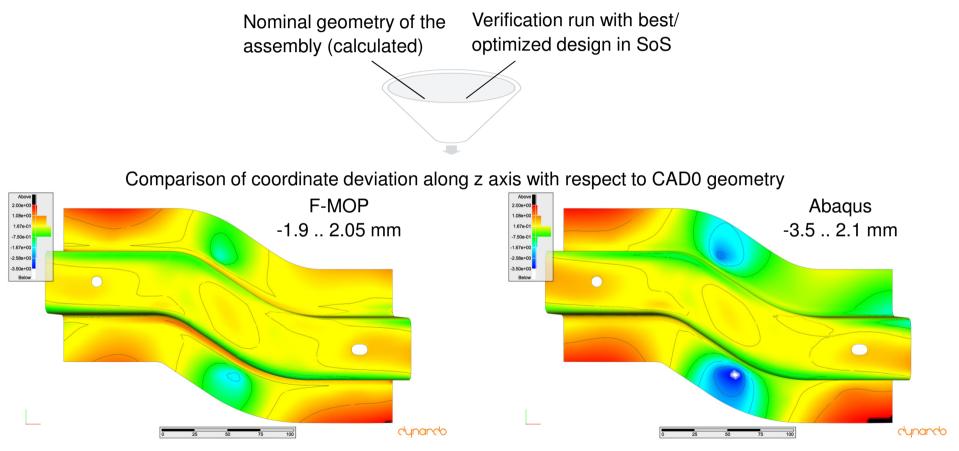
May be less at locations that are not critical (e.g. at folds, corners or seams)

Ergo: suitable for optimization on field meta model

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3) Accuracy of F-MOP solution (a posteriori)



Discussion: F-MOP underestimates deviation. Most input parameters at DoE value ranges Changes: 1. Enhance DoE bounds, 2. Direct optimization

6. Summary and Outlook



Summary

- Y-translation of the S-rail plate with a higher influence on the dimensional accuracy compared to the x-translation in simulation and experiment
- Usage of metamodels of the sensitivity analysis (high accuracy) to reduce the calculation times of the Robust Design Optimization of forming and framing station parameters
- SOS as an enhancement or supplement (vector values / FMOP) → FMOP approximates well qualitative distribution of geometric deviation

Outlook

- Automatic translation and rotation of sheets matching the target geometry
- Robustness analysis with SoS: Analyze influence and sensitivity of uncertain input parameters onto joining process
- \rightarrow Uncertain a) clamp positions

b) initial geometries resulting from deep drawing process